## Game Theory Day 5 <br> Homework

Please complete on a separate piece of paper.

1. Determine the saddle points in the following game using the minimax and maximin method.

| Rose $\backslash$ Colin | A | B | C | D |
| :--- | :--- | :--- | :--- | :--- |
| A | 3 | 2 | 4 | 2 |
| B | 2 | 1 | 3 | 0 |
| C | 2 | 2 | 2 | 2 |

2. For the following game, if Colin is to play the mixed strategy $1 / 4 \mathrm{~A}, 3 / 4 \mathrm{~B}$, what would Rose's expected value be? Then determine Colin's best mixed strategy.

| Rose $\backslash$ Colin | A | B |
| :--- | :--- | :--- |
| A | -3 | 5 |
| B | 2 | -2 |

3. Same directions as 1 but for the following $3 \times 3$ game.

| Rose $\backslash$ Colin | A | B | C |
| :--- | :--- | :--- | :--- |
| A | 3 | 0 | 1 |
| B | -1 | 2 | 2 |
| C | 1 | 0 | -1 |

4. Consider a basic game of Rock-Paper-Scissors between player A and B.
a. What are the strategies for each player?
b. What are the possible outcomes?
c. This is a zero-sum game. Why?
d. Write a Rock-Paper-Scissor Game with player A's payoffs in matrix game form.
e. Write the game in strategic form.
f. Write the game in extensive form.
g. Is there a dominant strategy?
h. Think! What factors would contribute to the probability of the other player picking a strategy?
i. Suppose player 2 is just as likely to choose rock, paper, or scissors. What strategy would you use? Thoughts.
